## FINAL JEE-MAIN EXAMINATION - APRIL, 2024

| (Held On Monday 08 April, 2024)   | TIME : 9 : 00 AM to 12 : 00 NOON  |
|---|---|
| M ATHEM ATICSSECTION-A $\mathfrak{r}$ .The value of k IIII for which the integral $\mathfrak{r}$ .In = I(1 k X) dX an IIII a satisfies 1 $\mathfrak{t} \vee I \mathfrak{r}$ .is : (1) 1.( $\mathfrak{r}$ ) 1 $\mathfrak{t}$ ( $\mathfrak{t}$ ) $\mathfrak{r}$ | <b>TEST PAPER WITH SOLUTION</b><br>Let the circles $C_1 : (x - 0) + (y - 0) = r$ , and<br>$C_1 : (x - 1)^2 + 0 y = 1 + (y - 0)^2 = r$ , touch each other<br>$C_2 = 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1$ |
| Sol. $In = \square(1 \square xk)n.1dx$<br>$In = (1 + x).x - (\eta k \square)n \square x^{k \square 1}.dx$   | (1) 11. (Y) 18.<br>(B) 180<br>Ans. (Y)  |
| In = nk $i = i = i = i = i = i = i = i = i = i $  | $C \left( \square $   |

Let P(x, y, z) be a point in the first octant,  $\tau$ . ٤. whose projection in the xy-plane is the point Q. Let  $OP = \square$  : the angle between OQ and the positive x-axis be  $\Box_{i}$  and the angle between OP and the positive z-axis be  $\Box_i$  where O is the origin. Then the distance of P from the x-axis

Ans.(1) Sol.  $P(x, y, z), Q(x, y, O) \le x + y + z = \begin{bmatrix} y & y \end{bmatrix}$ <del>OQ</del>[]xi^[]yj^  $cos[] = \frac{x}{\sqrt{x^{'} \Box y^{'}}}$  $cos[] = \frac{z}{\sqrt{x^{'} \Box y^{'} \Box z^{'}}}$  $- x^{'} \Box y^{'}$  $\square sin \square = \frac{x^{*} \Box y^{*}}{x^{*} \Box y^{*} \Box \dot{z}}$ distance of P from x-axisy Tlzr = [] \_\_\_\_\_[cost[]sint[]] The number of critical points of the function ٥.  $f(x) = (x - r)^{r/r} (rx + 1) is$ : (1) ٢ (٢) • (۳) ۱ (2) 7 Ans. (1) $f(x) = (x - \tau) \quad t \neq \tau \quad \tau \neq \tau$ Sol. ۲

$$f'(x) = \frac{1}{r} (x - r)^{-1/r} (rx + 1) + (x - r)^{-1/r} (r)$$

$$f'(x) = r \times \frac{(rx[1)[(x - 1r)]}{r(x[1r)^{-1/r}}$$

$$\frac{rx[1]}{(x[1r)^{-1/r}} = \cdot$$
Critical points  $x = \frac{1}{r}$  and  $x = r$ 

Let f(x) be a positive function such that the area bounded by y = f(x),  $y = \cdot$  from  $x = \cdot$  to x =ጵ e<sup>-</sup> ٤a + ǎ – . Then the differential equation . whose general solution is y = c i f(x) + c i, where c i

and cr are arbitrary constants. is :

$$(1) (Aex[1)) \frac{dY}{dxY} \frac{d}{y} \Box$$

$$(1) (Aex[1)) \frac{dY}{dY} \frac{d}{y} \Box$$

$$(1) (Aex[1)) \frac{dXY}{dY} \frac{d}{y} \Box$$

$$(1) (Aex[1)) \frac{dXY}{dY} \frac{d}{z} \Box$$

$$(2) (Aex[1)) \frac{dXY}{z} \frac{d}{z} \Box$$

Ans. (٣)

Sol.  $\int f(x) dx^{a} \Box^{a} \Box^{a} a \Box 1$ 

f(a) = -e f(x) - a - eNow  $y = \underset{-x}{C} \int f(x) + C r$ 

 $\frac{dy}{dx} \prod_{\lambda \in \mathcal{N}} Cf'_{\lambda}(X) = C \operatorname{V}(e^{-x} + \Lambda)$ .....(1) d۲y dx۲ . \_ = −Ce, <sup>-x</sup> □ −e<sup>x</sup> dxy

Put in equation (1)

$$\frac{d}{y} \Box e^{x} \frac{d \gamma y}{d x \gamma} (e \Box x_{\Box \Lambda})$$
$$d$$
$$d$$
$$(\lambda e x \Box \gamma) \frac{d \gamma y}{d x \gamma} \Box \frac{d y}{d x} \Box \cdot$$



11. If sinx =  $-\frac{\pi}{2}$ , where  $\mathbb{I} > x > \frac{\pi}{2}$ , then A+(taňx – cosx) is equal to : (1) 1 • 9 (٢) ١•٨ (٣) ١٨ (٤) 19 Ans.(1) Sol. sinx =  $\frac{\Box^{r}}{2}$ ,  $\Box > x > -\frac{\Box^{r}}{2}$  $\tan x = \frac{\pi}{2} \cos x = \begin{bmatrix} \frac{2}{2} \end{bmatrix}$ ∧ • (tan'x – cosx)  $= \Lambda \cdot \prod_{1} \frac{9}{1} \prod_{\frac{1}{2}} \frac{1}{2} \prod_{\frac{1}{2}} \frac{1}{2} = \xi \circ + \Im \xi = 1 \cdot 9$ Let  $I(x) = \prod_{i=1}^{\tau} dx \cdot If I(\cdot) = r$ , then ۱۲. (1) . (1) (7) ٣./٣ (2) 7 (7  $I(\mathbf{X}) = \mathbf{I}$ ٦dx זdx זcosecזxdx זוחד x(\⊡cotx)ד □ (\=cotx)ד Sol. Put  $\gamma - \cot x = t$ cosečx dx = dt  $I = \prod_{t=1}^{t} \frac{dt}{t} \frac{dt}{t} c$  $I(x) = r \quad \Box \xrightarrow{\tau} I \xrightarrow$ 

**ι**r. The equations of two sides AB and AC of a triangle ABC are εx + y = ιε and rx - ry = o.

respectively. The point  $1 \times \frac{4}{3}$  divides the third 3 = 3

side BC internally in the ratio  $\tau : \tau$ . The equation of the side BC is :

(1) 
$$X - 7y - 1 \cdot = \cdot$$
  
(r)  $X - ry - 1 = \cdot$   
(r)  $X + ry + r = \cdot$   
Ans. (r)

Sol.



x + ۳y + ۲ = •

```
Let ast the greatest integer less than or
١٤.
                                                                                                                                                                                                                                                                                                               Sol. |z + r| = r. Im |z - r| = r
                                equal to t. Let A be the set of al prime factors
                                                                                                                                                                                                                                                                                                                                               Let z + r = \cos[1 + i\sin[1 + ii])]]]}]}]}]}]}]
                                of <rvi and
                               <sup>1</sup>/<sub>2</sub> Cos Disin D
                                                                                                                                                                                                                                                                                                                                               \Box = \frac{z \Box v}{z \Box \tau} \Box 1 \Box \frac{v}{z \Box \tau} = v - (\cos\Box - i\sin\Box)
                                The number of one-to-one functions from A
                                                                                                                                                                                                                                                                                                             to the range of f is : (1) T · (T) T o Ans. (T)
                                                                                                                                                                                                                                                                                                                                                =(1 - \cos[]) + i\sin[]
                                                                                                                                                               (1) 11.
                                                                                                                                                                                                                                                                                                                                              Im \begin{bmatrix} Z & 1 \\ Z & T \end{bmatrix} = sin \begin{bmatrix} 1 \\ 0 \end{bmatrix}, sin \begin{bmatrix} 1 \\ 0 \end{bmatrix} = \frac{1}{2}
                                                                                                                                                               (٤) ٢٤
                                                                                                                                                                                                                                                                                                                                              \cos \Box = \pm \sqrt{1 \Box \frac{1}{\gamma_0}} = \pm \frac{\gamma \sqrt{\gamma}}{\sigma}
Sol.
                                       N = TTI \cdot = TTI \times I \cdot
                                                                                                                                                                                                                                                                                                                                              |\operatorname{Re}(\overline{z \square \tau})| \square \frac{\tau \sqrt{\tau}}{2}
                                                                                 A = \langle r, r, o, v, 1 \rangle
                                                                                                                                                                                                                                                                                                                                               If the set R = \langle (a, b) : a + \circ b = \varepsilon r, a, b | N \rangle
                                                                                                                                                                                                                                                                                                                ۱٦.
                                      f(x) = \log_{r} x^{r}
                                                                                                                                                                                                                                                                                                                                               has melements and ally linahe
                                       f(٢) = المنافق الم المنافق = ٢
                                                                                                                                                                                                                                                                                                                                              I = (\sqrt{h} (the Abse walke of m + x + y is :
                                       f(r) = 🔬 logr(ιε) 🏭 = r
                                                                                                                                                                                                                                                                                                                                                b = \epsilon r, a, b \square N a = \epsilon r - (r) r
                                                                                                                                                                                                                                                                                                                                                b, b = 1, a = \psi b = 1, a = (\xi)
                                       f(o) = \bigcup_{i=1}^{n} \log r(ro + ro) = o
                                                                                                                                                                                                                                                                                                                                               rb = ration a = rv
                                       f(v) = 😹 logr(11v) 🏨 = ٦
                                                                                                                                                                                                                                                                                                               Sol.
                                       f(1) = @ log r may = A
                                        Range of f : B = ﴿٢, ٣, ٥, ٦, ٨
                                        No. of one-one functions = 0! = 11.
                               Let z be a complex number such that |z + \gamma| = \gamma
۱٥.
                               and \lim_{z \to z} \frac{1}{2} \frac{1}{2
                                                                                                                                                                                                                                                                                                                                                \mathbb{Q}(1000)
                               is :
                             (1) 1
                                                                                                                                                        \frac{\tau \Box 1}{2} (\tau)
                                                                                                                                                                                                                                                                                                                                               for n \square \epsilon, i^{n_1} = v
                                                                                                                                                                                                                                                                                                                                               \Box (1-\mathbf{i}) + (1-\mathbf{i}) + (\underline{i}_{i} - \mathbf{i}) \qquad _{\mu_{i}}
                                                                                                                                                             (£) <u>Y</u> (3)
                              (٣) 12
                                                                                                                                                                                                                                                                                                                                                = 1 - I + 7 + 1 + 1
                                                                                                                                                                                                                                                                                                                                                = \circ - I = x + iy
                                Ans.(٤)
                                                                                                                                                                                                                                                                                                                                               M + X + Y = A + \circ - 1 = 11
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For the function  $f(x) = (\cos x) - x + v \cdot x \square$ ۹. ۱۹. ١٧. between the following two statements  $(S_1) f(x) = \cdot$  for only one value of x is  $(S_1) f(x) = \cdot$  $(S_{\tau}) f(x)$  is decreasing in  $[1, \frac{1}{2}]$  and increasing in ( $\vec{1}$ ) $\vec{B}$ oth ( $S_1$ ) and ( $S_7$ ) are correct (r)Only (S1) is correct (r)Both (S1) and (S1) are incorrect (٤)Only (St) is correct Ans. (1) So|.  $f(x) = \cos x - x + v$  $f'(x) = -\sin x - v$ f is decreasing []x[]R f(x) = $f(\cdot) = \tau, f(\Box) = -\Box$ f is strictly decreasing in  $\bigotimes_{i}$ ,  $\bigcup_{i}$  and  $f(\cdot)$ .  $f(\bigcup)$  $\Box$  only one solution of  $f(x) = \cdot$ Sy is correct and Sy is incorrect. The set of all **Ω**, for which the vector ۱۸. and blti^lrj^lrltk^ a00ti^0\j^0\k^ are inclined at an obtuse angle for all t lis : (١) ( المنظيمة (١) (て)(-て、・製作 Ans. (٣) Sol. -a□□ti^□ ʲj^□•k^ ₿⊓ti1ŀj^⊓₁ ₋ŧk^ so a -b[], []t[]R  $[t^{-} \vee \tau + \tau]t > \bullet$  $[]t^{r_{\!+}} \tau []t - \iota \tau > \bullet,$ □t□R  $\square \rightarrow \cdot$ , and  $\square \rightarrow \cdot$ ۳٦] + ٤Λ] > ٠  $\nabla T = (T = \xi) > 0$  $\frac{\Box^{\xi}}{T}$   $\Box$   $\Box$   $\Box$   $\Box$  Oalso for  $a = \cdot, a \overline{b}$ . hence  $a_{\Box} \xrightarrow{\Box} \cdot \cdot \xrightarrow{\Box}$ 

Let y = y(x) be the solution of the differential equation  $(1 + y)e^{\tan x}dx + \cos x(1 + e^{-\tan x})dy = \cdot$  $y(\cdot) = 1$ . Then  $y \square$  is equal to : (1) T (T) <sup>1</sup> <u>PT</u> (٤) PT (٣) Ans. (٣)  $(1+y)e^{\tan x}dx + \cos x(1+e^{-\tan x})dy = \cdot$ Sol. seč xe<sup>tanx</sup> dy dy □C  $[tan(e^{tan x}) + tany] = C$ for  $\mathbf{x} = \mathbf{v}$ ,  $\mathbf{y} = \mathbf{v}$ ,  $\tan^{-1}(\mathbf{v}) + \tan \overline{\mathbf{v}} = \mathbf{C}$ C = \_\_\_\_  $\tan^{1}(e^{\tan x}) + \tan^{-1}y = \frac{1}{2}$ Put x =  $\square_{i}$  tan' e + tan' y =  $\frac{\square}{x}$ tan'y = cot'e  $y = \frac{1}{2}$ Let H :  $\frac{\Box^{XY}}{a_{Y}} \Box^{YY}_{b_{Y}}$  be the hyperbola. whose ۲۰. etce deatturiscity is 🐨 and the length of rectum is  $\mathfrak{L}_{\mathfrak{T}}$ . Suppose the point  $([], \mathfrak{T}), [] < \mathfrak{t}$ lies on H. If [] is the product of the focal distances of the point  $([1, \tau))$ , then [1 + 1] is equal to : (1) 11. (1) 111 (٣) 179 (٤) ١٧٢ Ans.(1)

Sol. 
$$H: \frac{y}{r} = \left[\frac{x}{a^{r}}\right]^{n} \cdot e = \sqrt{r}$$

$$e = \sqrt{\frac{a}{r}} = \sqrt{r}$$

$$b = \frac{a}{r} = \sqrt{r}$$

$$e = \sqrt{\frac{a}{r}} = \sqrt{r}$$

$$f = \frac{r}{b}$$

$$r = r^{a} = \sqrt{r}$$

$$e = \sqrt{r}$$

## SECTION-B

The sum of the diagonal elements of A is  $r_{\perp}^{n}$  then n is equal to \_\_\_\_\_\_ Ans. (v)

Sol. A =  $\begin{bmatrix} 1 \\ -1 \end{bmatrix}$   $1 \Box \Box$ 

A۱ ł 0 \_ \_ <sup>r</sup> \_ **1** \_ **r** \_ 6 , 1 \_ **c** \_ 0 A٣ ٣ □3 □6□ <sup>•</sup> □1□ □ □9 □ <sup>•</sup> 1□□ □ □ ۳ A٤= • □3□ □9 A°= □9□ • 🗌 Α٦ -777 A≚\_ ٣٦ 📙  $\mathfrak{r} \stackrel{\scriptscriptstyle \vee}{=} \mathfrak{r} \, \boxed{n} \, n = v$ If the orthocentre of the triangle formed by the lines  $rx + ry - 1 = \cdot x + ry - 1 = \cdot$  and

ax + by - y = x, is the centroid of another triangle, whose circumecentre and orthocentre respectively

are  $(r, \epsilon)$  and  $(-\tau, -\lambda)$ , then the value of |a - b| is

Ans. (17)  
Sol. 
$$rx + ry - 1 = \cdot$$
  
 $x + ry - 1 = \cdot$   
 $ax + by - 1 = \cdot$   
 $(-\tau, -\overline{A}) - \overline{G} - \overline{(\tau, \epsilon)}$   
 $H - (\tau, \tau)$   
 $(\tau, \epsilon)$   
 $H = (\tau, \tau)$ 

۲۲.



П

Three balls are drawn at random from a bag containing ∘ blue and ٤ yellow balls. Let the random variables X and Y respectively denote the \_ \_ \_ \_

number of blue and Yellow balls. If-X an<del>d</del> Y are

the means of X and Y respectively  $_{\rm i}$  then vX + Sol.  $_{\xi}\gamma$ 



total number of three digit numbers not divisible by r will be formed by using the digits (\$. o. v) (r. \$. v) (r. \$. v) (r. \$. v) (r. \$. o) (r. \$. o) (r. \$. o) number of ways = 1 × r! = r1

Let the positive integers be written in the form : sin ᡚ □r cos sin ᡚ □cos 1 10. f(□ □ Sol. ۲ COST  $f(\underline{\ } \underline{\ } 1 \underline{\ } \underline{\ }$ ۲ COS ۲  $\begin{array}{c} f(\underline{\ }) & \underline{\ } & \underline{\ } & \underline{\ } \\ f(\underline{\ }) & \underline{\ } & \underline{\ } \\ f(\underline{\ }) & \underline{\ } \\ \mu_{\text{min.}} & \underline{\ } \\ \end{array} \right) \\ \\ \end{array}$ If the k<sup>th</sup>ow contains exactly k numbers for every  $f([])_{max} = r$ natural number k. then the row in which the  $S \square \frac{\tau \epsilon}{\tau \square \tau / \tau} \square \mathfrak{r}$ number or 1. will be is \_\_\_\_ Let  $\square \square^n (\text{try} \square \text{yr} \square \text{y}) nC_r$ Ans. (1+\*) ۲۷. Sol.  $S = 1 + \tau + \epsilon + v + \dots + Tn$  $S = 1 + 7 + \xi + \dots$ Tn = 1 + 1 + 7 + 7 + ... + (Tn - Tn - 1)then the value off n is \_\_\_\_  $Tn = \sqrt{\frac{n}{2}} \frac{n}{\tau} \frac{n}$ Ans.()) Sol. 000({rr0r0}).nCr  $Tn = 1 + 10 \frac{n(n01)}{r}$  $\Box \Box \mathfrak{s} = \prod_{r=0}^{n} r \cdot \prod_{r=1}^{n} r \cdot \Box \mathfrak{s} = \prod_{r=0}^{n} r \cdot \prod_{r=1}^{n} r \cdot \Box \mathfrak{s} = \prod_{r=0}^{n} r \cdot r \cdot \mathfrak{s}$  $n = 1 \cdot \cdot \cdot Tn = 1 + \frac{1 \cdot \cdot \cdot \prod_{q \in Q}}{Y} = \xi q \circ \cdot + 1$  $\mathbf{n} = \mathbf{1} \cdot \mathbf{1} \qquad \mathbf{T}\mathbf{n} = \mathbf{1} + \frac{\mathbf{1} \cdot \mathbf{1} \boxed{\mathbf{1} \cdot \mathbf{1}}}{\mathbf{Y}} = \mathbf{0} \cdot \mathbf{0} \cdot \mathbf{1} = \mathbf{0} \cdot \mathbf{0} \mathbf{1}$  $\boxed{} = \epsilon n(n-1) \cdot t^{-n-\tau} + \epsilon n \cdot t^{n-\tau} + \tau n \cdot t^{-n-\tau} + \tau n \cdot t^{-n-\tau}$  $n = 1 \cdot r$   $Tn = 1 + \frac{1 \cdot r \prod 1 \cdot 1}{r} = 0101 + 1 = 0107$  $= \sum_{n=1}^{n-1} \sum_{n=1}^{n-1} \sum_{k=1}^{n-1} \sum_{k=1}^{n$  $n = 1 \cdot r$   $Tn = 1 + \frac{1 \cdot r \prod 1 \cdot r}{r} = 0 r 0 \epsilon$ <sup>۲</sup> (n + ۱) ۲  $\square \square \square \frac{n}{r} \frac{nC_r}{rC_r} \square \frac{1}{n}$  $Tn = 1 + \frac{1 \cdot \xi \prod 1 \cdot r}{r} = 0 r \circ r$ n = ۱۰٤ sin ٤ □ □ rcos τ □ sin ٤ □ □ cos τ □,□ □ ℝ is If the range of f(D) =۲٦.  $\square \frac{1}{n \square 1} \square \mathbf{T}^{\square} \mathbf{C}_{\square} \square \dots \square^{n \square 1} \mathbf{C}_{n \square 1} \square$ τηΠι □<del>n [] \</del>\_ term is 🗤 and the common ratio 🗄 ، is equal to  $\frac{2}{1} \square \frac{r}{r^{n}} (n \square 1) r (n \square 1) n (n \square 1) r$  $1 \varepsilon \cdot > (n + 1) > \forall \Lambda 1$ Ans. (٩٦)  $\mathbf{n} = \mathbf{i} [(\mathbf{n} + \mathbf{i}) = \mathbf{i} \mathbf{v}$ n = 0 (n + 1) = ۲۳٦ n = 1 (n + 1) = ٣٤٣ 00n = 000



|             | PHYSICS  |                         | TEST PAPER WITH SOLUTION   |
|-------------|--|-------------------------|--|
|             | SECTION_A  | Ans.                    | (1)  |
| ۳۱.<br>Ans. | Three bodies A, B and C have equal kinetic energy and their masses are $\varepsilon \leftrightarrow g$ , $\cdot, \tau$ kg and $\cdot, \tau$ kg respectively. The ratio of their linear momenta $(1)$ $i: \sqrt{\tau}: \tau$ $(\tau)$ $i: \sqrt{\tau}: \sqrt{\tau}$ $(\tau)$ $(\tau)$ $\sqrt{\tau}: \sqrt{\tau}: \tau$ $(\varepsilon)$ $\sqrt{\tau}: \sqrt{\tau}: \tau$ $(\tau)$  | rg <b>≸eds</b> .<br>is∶ | is same for both<br>P□ $\frac{h}{□}$ same for both<br>P□ $\sqrt{rmK}$<br>Hence.  |
| Sol.        | KE =<br><u> Υm</u><br>P □ √m<br>Hence ⋅ PA : PB : PC   | Ψ٤.                     | $\begin{array}{c} K \ \square \\ m \\ \square \\ KE_{e}^{e} \ \square \\ m \\ KE_{e}^{e} \ \square \\ m \\$  |
| ۳۲.         | = $\sqrt{\epsilon \cdot \cdot \cdot}$ $\sqrt{17 \cdot \cdot \cdot}$ $\sqrt{17 \cdot \cdot \cdot} = 1$ : $\sqrt{r} : r$<br>Average force exerted on a non-reflecting surf<br>at normal incidence is $r \cdot \epsilon \times \overline{1} : N \cdot If r \cdot V / cm$ is<br>the light energy flux during span of 1 hour $r \cdot$<br>minutes. Then the area of the surface is:   | ace                     | mole of a diatomic gas (rigid) are kept at room<br>temperature ( $\tau v^{\circ}C$ ). The ratio of specific heat of<br>gases at constant volume respectively is:<br>(1) $\frac{v}{\sigma}$ ( $\tau$ ) $\frac{r}{\tau}$ |
| Ans         | $(1) \cdot \cdot \mathbf{r} \mathbf{m}^{Y} \qquad (\mathbf{r}) \cdot \cdot \mathbf{r} \mathbf{m}^{Y}$ $(\mathbf{r}) \mathbf{r} \cdot \mathbf{m}^{Y} \qquad (\mathbf{\epsilon}) \cdot \cdot \mathbf{r} \mathbf{m}^{Y}$ $(\mathbf{r})$   | Ans.                    | $(\mathbf{r}) \frac{\mathbf{r}}{\mathbf{o}} \qquad (\mathbf{s}) \frac{\mathbf{o}}{\mathbf{r}}$   |
| Sol.        | Pressure = $\frac{I}{C} \Box \frac{F}{A}$  | Sol.                    | $\frac{(C)_{v \text{mono}}}{(C)_{v \text{dia}}} \square \frac{v}{v} \square \frac{v}{v}$   |
|             | $\frac{10}{10} + \frac{10}{10} + \frac{1}{10} = \frac{1}{10} + \frac{1}{10$ | ۳٥.                     | In an expression $a \times b^{b_{1}}$ :<br>(1) a is order of magnitude for b [] o  |
| ۳۳.         | A proton and an electron are associated with s<br>de-Broglie wavelength. The ratio of their kinet<br>energies is:  | ame<br>ic               | (r) b is order of magnitude for a $\Box \circ$<br>(r) b is order of magnitude for $\circ > a \Box$ .<br>( $\varepsilon$ ) b is order of magnitude for a $\Box \circ$   |
|             | $(Assume f = 1, (f \times 1), Js, file = 1, ( \times 1), Kg$<br>and mp = 1, $r_1$ times me)  | Ans.                    | . (٢)  |
|             | (1) 1 : 1 (7) 1 : $\frac{1}{170}$  | Sol.                    | a×v• <sup>b</sup><br>if a∐∘order is b  |
|             | $(\mathbf{\tilde{r}}) : \frac{1}{\sqrt{1}\sqrt{r}} \qquad (\mathbf{\tilde{s}}) : \sqrt{1}\sqrt{r}$   |                         | a < o order is b + v   |

In the given circuit, the terminal potential difference Choose the most appropriate answer from the ۳٦. of the cell is : options given below:



Ans. (1)



i⊓ <u>ום י</u>ות ח

v = E - ir

- $= \pi 1 \times 1 = \tau V$ ۳٧.
  - Bigding cherigy the afference between xtotal all the nucleons and nuclear mass of the given nucleus:

| (1)•. <b>1</b> 0g | (۲) ۲ · 🛙 g |
|-------------------|-------------|
| (٣) ۲ <b>(</b> _  | (٤) \ · 🛙 a |

Ans. (1)

Sol. [mc = 1 1 × 1. \*

 $\Box \mathbf{m} \times \mathbf{q} \times \mathbf{r} = \mathbf{r} \mathbf{q} \times \mathbf{r}$ 

**8**gn==\*\* **1**g. -∧

Paramagnetic substances : ۳۸.

> A. align themselves along the directions of external magnetic field.

- B. attract strongly towards external magnetic field.
- C. has susceptibility little more than zero.
- D. move from a region of strong magnetic field to weak magnetic field.

| (1) A, B, C, D   | (۲) B، D Only |
|------------------|---------------|
| (۳) A، B، C Only | (٤) A، C Only |

Ans. (1)

Sol. A. Conly

A clock has vo cm. v. cm long second hand and ۳٩. minute hand respectively. In **\*•** minutes duration the tip of second hand will travel x distance more

than the tip of minute hand. The value of x in

meter is nearly (Take  $\Box = r \cdot \iota \epsilon$ ) :

(1) 189.2 (7) 12.0 (٣) ٢٢٠. •  $(\Sigma)$  11A.9

Ans. ())

Sol.  $xmin = [] \times rmin$ 

$$= \Box \Box \underbrace{\overset{\iota}}{\underset{\iota}{\overset{\iota}}} m.$$
xsecond =  $r \cdot \times r \Box \times rsecond$ 

X = X second X min

= 189. EM

Young's modulus is determined by the equation ٤٠.

given by Y =  $\epsilon_{9} \cdots \frac{mdyne}{\sqrt{cmr}}$  where M is the mass

and [] is the extension of wire used in the experiment. Now error in Young modules(Y) is estimated by taking data from M<sub>-</sub> plot in graph

paper. The smallest scale divisions are o g and ... cm along load axis and extension axis respectively. If the value of M and [] are or g and r cm respectively then percentage error of Y is :

{}}; ' '.  $\{\xi\}::\xi''$ 

Ans. (٣)

Sol. 
$$\frac{\Box Y}{Y} \Box \frac{\Box m}{m} \Box \frac{\Box \ell}{\ell}$$
$$\Box \frac{\circ}{\circ \cdots} \Box \frac{\cdot \cdot \cdot \tau}{\tau} = \cdots + \cdots + \cdots + \frac{\Box Y}{Y} \Box \cdot \cdot \cdot \tau = \frac{\chi}{\Box} \frac{\Box Y}{T} \Box \tau \chi$$

۲wo different adiabatic paths for the same gas intersect two isothermal curves as shown in P-V

diagram. The relation between the ration d the



Ans. (٣)

Sol. For adiabatic process

 $TV^{\square_{-}} = constant$   $T_{a} \square_{a} \square_{a$ 

Στ. Two planets A and B having masses m h and m move around the sun in circular orbits of r h and r r radii respectively. If angular momentum of A is L and that



٤٣. A LCR circuit is at resonance for a capacitor C، inductance and resistance R. Now the value of resistance is halved keeping all other parameters same. The current amplitude at resonance will be now:

| ())Zero  | (۲) double |
|----------|------------|
| (r) same | (٤) halved |

Ans. (1)

Sol. In resonance Z = R

I □ V R □ halved □ I □ vI I becomes doubled.  $\mathfrak{s}$ . The output Y of following circuit for given inputs Ans. (7)

(٤) AB



- Ans. (٣)
- Sol. By truth table

| А | В | Υ |
|---|---|---|
| • | · | • |
| • | ١ | • |
| ١ | · | • |
| ١ | ١ | • |

- Two charged conducting spheres of radii a and b<sup>£A.</sup> are connected to each other by a conducting wire. The ratio of charges of the two spheres respectively is:
  - (1)  $\sqrt{ab}$  (1) ab(1)  $\sqrt{ab}$  (1)  $\frac{b}{a}$

Ans. (٣)

Sol. Potential at surface will be same

$$\frac{Kq_{x}}{a} \Box \frac{Kq_{y}}{b}$$
$$\frac{q_{x}}{q^{y}} \Box \frac{a}{b}$$

٤٦. Correct Bernoulli's equation is (symbols have their usual meaning) :

(1) P + mgh + 
$$\frac{1}{r}$$
 mV = constant  
(1) P +  $\Box$ gh +  $\frac{1}{r}$   $\Box$ v = constant  
(1) P +  $\Box$ gh +  $\Box$ v = constant  
(2) P +  $\frac{1}{r}$   $\Box$ gh +  $\frac{1}{r}$   $\Box$ v = constant

Sol.  $P \Box \Box gh \Box_{\underline{r}}^{\prime} \Box V_{\underline{r}} = constant$ 

٤٧. A player caught a cricket ball of mass ۱۵۰ g moving at a speed of ۲۰ m /s . If the catching process is completed in ۲۰۰۰ s، the magnitude of force exerted by the ball on the hand of the player is :

Ans. (٣)

Sol. F 
$$\square P \square mv \square \cdot$$
  
 $\square t \square mv \square \cdot$   
 $\square t \square mv \square \cdot$   
 $\cdot \cdot$ 

A stationary particle breaks into two parts of masses mA and mB which move with velocities vA and vB respectively. The ratio of their kinetic energies (KB : KA) is :

(1) vB : vA (1) mB : mA(1) mB vB : mA vA (1) 1 : 1

Ans. (1)

Sol. Initial momentum is zero.

$$\frac{(\mathsf{KE})_{\mathsf{A}}}{(\mathsf{KE})_{\mathsf{B}}} \Box \frac{\overset{\flat}{\underline{\mathsf{r}}} \mathbf{m}_{\mathsf{A}} \mathbf{v}_{\mathsf{A}}^{\mathsf{i}}}{\overset{\flat}{\underline{\mathsf{r}}} \mathbf{m}_{\mathsf{B}} \mathbf{v}_{\mathsf{B}}^{\mathsf{i}}} \Box \frac{\mathbf{v}_{\mathsf{A}}}{\mathbf{v}_{\mathsf{B}}}$$

$$\frac{(KE)}{(KE)} \stackrel{\mathbf{V}}{\mathbf{A}} \square \frac{\mathbf{V}}{\mathbf{A}}$$

 $\mathfrak{sq.} \quad \mbox{Critical angle of incidence for a pair of optical media is } \mathfrak{so}^\circ. \mbox{ The refractive indices of first and second media are in the ratio} :$ 

(1)  $\sqrt{Y}$ : 1 (2) 1: 1 (1)  $\sqrt{Y}$  (2) 1: 1 (2) 1: 1

Sol. 
$$\sin \mathbb{L} = \frac{\mathbb{L}_{R}}{\mathbb{L}_{d}} \square \frac{\mathbb{L}_{1}}{\mathbb{L}_{1}}$$
  
 $\sin \varepsilon \circ^{\circ} = \frac{\mathbb{L}_{r}}{\mathbb{L}_{r}}$   
 $\square \frac{1}{\sqrt{r}} \square \frac{\mathbb{L}_{r}}{\mathbb{L}_{r}}$   
 $\square \frac{\mathbb{L}_{r}}{\mathbb{L}_{r}} \square \frac{\sqrt{r}}{\mathbb{L}_{r}}$ 

The diameter of a sphere is measured using a vernier caliper whose a divisions of main scale are equal to 1, divisions of vernier scale. The shortest division on the main scale is equal to 1 mm. The main scale reading is a cm and second division of vernier scale coincides with a division on main scale. If mass of the sphere Ans. (10) is A. 370 g, the density of the sphere is:

| (۱) ۲. ₀ g /cm̆ | (۲) ۱. V <b>g /cm</b> |
|-----------------|-----------------------|
| (۳) ۲.۲g/cm     | (٤) ۲ . • g /cmٌ      |

- Ans.(٤)
- Sol. Given (MSD = ) · VSD

mass = Λ. τ۳ο g LC = ۱ MSD – 1 VSD

$$LC = 1 MSD - \frac{9}{11}MSD$$

 $LC = \frac{1}{11}MSD$ 

LC = • . • \ cm

Reading of diameter =  $MSR + LC \times VSR$ 

$$= r \operatorname{Cm} + (\cdot \cdot \cdot 1) \times (r)$$

$$= r \cdot r \operatorname{Cm}$$
Volume of sphere 
$$= \frac{4}{r} \cdot \frac{d}{r} \cdot \frac{r}{r} \cdot \frac{r}{r} \cdot \frac{r}{r} \cdot \frac{r}{r}$$

$$= \epsilon \cdot rr \operatorname{Cm}^{r}$$
mass  $A \cdot 3r^{\circ} \Pi$ 

Density =  $\frac{\text{mass}}{\text{volume}} = \frac{\lambda \cdot 170}{\epsilon \cdot 77} [1 \cdot 99\lambda] \sim 7 \cdot 100$ 

## SECTION-B

••• A uniform thin metal plate of mass  $\cdot \cdot kg$  with dimensions is shown. The ratio of x and y

coordinates of center of mass of plate in  $\frac{n}{3}$ . The value of n is \_\_\_\_\_\_.



or. An electron with kinetic energy  $\circ$  eV enters a region of uniform magnetic field of  $r \square T$ perpendicular to its direction. An electric field E is applied perpendicular to the direction of velocity and magnetic field. The value of E  $\circ$  so that electron moves along the same path  $\circ$  is \_\_\_\_\_\_ NC. (Given  $\circ$  mass of electron =  $9 \times 10^{-r_1}$  kg  $\circ$  electric charge =  $1.7 \times 10^{-19}$ C)

## Ans.(٤)

Sol. For the given condition of moving undeflected, net force should be zero.

$$\mathbf{E} = \mathbf{V}\mathbf{B}$$

$$\Box \sqrt{\frac{\mathsf{T} \Box \mathsf{K} \mathsf{E}}{\mathsf{m}}} \Box \mathsf{B}$$

$$\Box \sqrt{\frac{\mathsf{T} \Box \mathsf{D} \mathsf{D} \cdot \mathsf{T} \mathbf{P}_{\mathsf{m}}}{\mathsf{q} \Box \mathsf{T}}} \Box \mathsf{T} \Box \mathsf{T} \mathsf{D} \mathsf{T} \mathsf{D} \mathsf{T}}$$

= ٤ N /C

or. A square loop PQRS having \. turns. arear. x
\. \. \. \. \. \. \. m and resistance \. \. \. \. \. \. I is slowly and
uniformly being pulled out of a uniform magneti
field of magnitude B = \. \. T as shown. Work done
in pulling the loop out of the field in \. . s is



Ans. (٣)

Sol . 🛛 = NB🛛 v



<u>۲</u> [(٤ ] 6 ]) ۲Vm

A liquid column of height •..• cm balances exces **S**ol. ٥٦. pressure of soap bubble of certain radius. If density of liquid is  $\Lambda \times 10^{-10}$  kg m<sup>-1</sup> and surface tension of soap solution is ۲۰ ۲۸ Nm، then diameter of the soap bubble is \_\_\_\_\_ cm.

 $(ifg = 1 \cdot ms)^{-\tau}$ 

Ans.(v)

Sol.  $\Box gh \Box \frac{\xi S}{R}$  $\Box \mathsf{R} \Box \frac{\varepsilon}{\lambda \underbrace{\uparrow} \cdot r \underbrace{\Box} \cdot . r \lambda}{\varepsilon}$ 

 $\Box \stackrel{\cdot}{\rightharpoonup} \stackrel{\tau}{\rightharpoonup} m \Box \stackrel{\tau}{\rightharpoonup} cm$ 

Diameter = v cm

A closed and an open organ pipe have same ٥٧. lengths. If the ratio of frequencies of their seventh

overtones is 
$$\begin{bmatrix} a \\ a \end{bmatrix}$$
 then the value of a is \_\_\_\_

Ans. (17)

Sol. For closed organ pipe

 $fc[(n]) \frac{V}{\varepsilon} \Box \frac{v \circ V}{\varepsilon}$ 

For open organ pipe

$$fo \square (n \square 1) \frac{V}{r} \square \frac{AV}{r}$$
$$\frac{f_c}{f_0} \square \frac{1^{\circ}}{17} \square \frac{a \square 1}{a}$$
$$\square a = 17$$

Three vectors OP. OQ and OReach of magnitude ٥٨. A are acting as shown in figure. The resultant of Ans. (101) the three vectors is Ax. The value of x is \_





In an alpha particle scattering experiment distance of ٦٠. closest approach for the [] particle is ٤. 5×1 m. If target nucleus has atomic number A+, then maximum velocity of []-particle is \_\_\_\_\_\_× ... m/sapproximately.

 $\tau.v\tau \times \iota \cdot \overline{\phantom{v}} kg)$ 

٥٩.

Sol. 
$$\Box = \sqrt{\frac{\epsilon KZe^{\gamma}}{mr_{min}}}$$
$$\Box = \sqrt{\frac{\epsilon \Box 4 \Box \gamma \cdot \Box \lambda \cdot}{\tau \cdot v \tau \Box \gamma \cdot \Box v }} \frac{1}{\epsilon \Box 4 \Box \gamma \cdot \Box \lambda \cdot \Box \gamma \cdot \Box \eta \cdot$$

Ans. (٣)



۲٤. Identify the major products A and B respectively المعامين ال



Ans. (1)



Given below are two statements : One is labelled as Assertion A and the other is labelled as Reason R: Assertion A : The stability order of +1 oxidation state of Ga. In and Tl is Ga > In > Tl. Reason R : The inert pair effect stabilizes the lower oxidation state down the group. In the light of the above statements. choose the correct answer from the options given below :
 (1) Both A and R are true and R is the correct

- explanation of A.
- (r) A is true but R is false.
- (r) Both A and R are true but R is NOT the correct explanation of A.
- $(\mathfrak{t}) A \text{ is false but } R \text{ is true} \, .$

Ans. (1)

**Stat**e relative stability of +1 oxidation progressively increases for heavier elements due to inert pair effect.

□□Stability of A□+ > Ga 5' In+> T □+ >

۲٦. Match List I with List-II



```
(1) A-III, B-I, C-IV, D-II
```

```
(Y) A-III, B-II, C-IV, D-I
(Y) A-III, B-I, C-II, D-IV
(٤) A-III, B-IV, C-I, D-II
```

Ans.(٤)

Sol. Cobalt nitrate test

Flame test

MSO Na τ B εΟτ M(BO τ)τ MBO τ M Charcoal cavity test

CoO. MO

|   | List | -I (Molecule) |      | List-II(Shape)       |
|---|------|---------------|------|----------------------|
|   | A    | NH۳           | Ι. 5 | Square pyramid       |
|   | Β.   | BrF∘          | II.  | Tetrahedral          |
|   | С.   | PCI∘          | ш    | Trigonal pyramidal   |
|   | D.   | CH٤           | IV.  | Trigonal bipyramidal |
| Choose the correct answer from the option |      |               |      |                      |

below : (1) A-IV, B-III, C-I, D-II (1) A-II, B-IV, C-I, D-III (1) A-III, B-I, C-IV, D-II ( $\epsilon$ ) A-III, B-IV, IV, C-I, D-II

Ans. (٣)

Sol.





Trigonal pyramidal Square pyramidal



Trigonal bipyramidal Tetrahedral

ته. For the given hypothetical reactions، the equilibrium constants are as follows:

$$X \xrightarrow{} Y : K = 1.$$

The equilibrium constant for the reaction

$$X \xrightarrow{} W \text{ is}$$

$$(1) 1.. \qquad (1) 17.. \qquad (1) 17.. \qquad (2) 17.. \qquad (2)$$

Thiosulphate reacts differently with iodine and bromine in the reaction given below :
 rS Or[] [] I []S Or[] [] rI<sup>-</sup>

SϘτΩ Ω₀ΒτQ₀HOQτSOτΩΩξβr¯Ωι⋅HΩ

Which of the following statement justifies the above dual behaviour of thiosulphates (1) Bromine undergoes oxidation and iodine thes@ndergoesreduction by iodine in

reactions

- (r) Thiosulphate undergoes oxidation by bromine and reduction by iodine in these reaction
- (r) Bromine is a stronger oxidant than iodine
- $(\mathfrak{s})$  Bromine is a weaker oxidant than iodine

Ans. (٣)

Sol. In the reaction of SrOr with Ir , oxidation state of sulphur changes to +r to +r.  $\circ$ 

In the reaction of  $S_{\tau}O_{\tau}$  with  $Br_{\tau}$ , oxidation state of sulphur changes from  $+\tau$  to  $+\tau$ .

Both Ir and Brr are oxidant (oxidising agent) and Brr is stronger oxidant than Ir.

Y... formolatahedral complex with the CoClrnNHr upon reaction with excess of AgNOr solution given r moles of AgCl. Consider the oxidation state of Co in the complex is 'x'. The value of 'x + n' is \_\_\_\_\_.

| (1)٣  | ٦ (٢) |
|-------|-------|
| (٣) ٨ | (٤) ٥ |

Ans. (٣)

Sol. Deo(NHr) OCIOCIT+ excess AgNOr D rA

(r moles)

```
X + \cdot - \cdot - \cdot = \cdotX = + rn = \circ\Box X + n = \Lambda
```



only one **r**<sup>o</sup> carbon is present in this compound.

Which of the following are aromatics

Non aromatic

Non aromatic

Aromatic

Aromatic

|   | Civen below are two statements. Statement I                                    | ·      | Iron (III) catalyzes the reaction between indide and                       |
|---|--|--------|--|
| ۷٥.   | Given below are two statements: Statement I                                    | . vv.  | norculabata ions, in which   |
|   | : N(CHr)r and P(CHr)r can act as<br>ligands to form transition metal complexes |        | A Fetovidises the iodide ion   |
|   | Statement II: As N and P are from same   |        | $B = \frac{1}{2}$ oxidises the persulphate ion                             |
|   | group, the   |        | Fe reduces the iodide ion to reduce the reduces the iodide ion             |
|   | nature of bonding of N(CHr)r and P(CHr)r is                                    |        | D. Fereduces the persulphate ion   |
|   | always   |        | Choose the most appropriate answer from the                                |
|   | above statements, choose the most  |        | options given below :  |
|   | appropriate answer from the options given                                      |        | (1) B and C only (1) B only  |
|   | belowrect) Statement I is incorrect but  |        | (r) A only (E) A and D only  |
|   | Statethenterment I and Statement II are corre                                  | ctAns. | (٤)  |
|   | (r) Statement I is correct but Statement II is                                 | Sol.   | ۲Fe + <sup>۳</sup> ۲I 🛯 ۲Fe + I ۲ <sup>۲+</sup>                            |
|   | incorrect<br>(s) Both Statement Land Statement II are incor                    | rect   | ۲Fe¹+ S۲O۸ [][] ۲Fe + ۲SO <sup>®</sup> <sup>۲−</sup>                       |
| Ans.  | (*)  |        | Fe <sup>**</sup> oxidises I to Ix and convert itself into Fe <sup>**</sup> |
| Sol.  | $N(CH_r)r$ and $P(CH_r)r$ both are Lewis base and a                            | cts    | This Fe reduces SrO∧ to SO₂ and converts                                   |
|   | as ligand، However، P(CH۳)۳ has a 🛛-acceptor                                   |        | itself into Fe   |
|   | character.   | ٧٨.    | Match List I with List II  |
| ٧٦.   | Match List I with List II  |        | List-I(Compound) List-II   |
|   | List–I (Elements) List–II (Properties in                                       |        | (Colour)   |
|   | their respective groups)   |        |  |
|   | a cl.s I. Liements with highest  |        | B. JFe(CN) NOS   |
|   | B Ge As II Elements with largest   |        | C. EFe(SCN)  |
|   | atomic size  |        | D. (NH٤)"PO٤. \YMoO"IV. Yellow   |
|   | C. Fr، Ra III Elements which show  |        | Choose the correct answer from the options given                           |
|   | properties of both   |        | below :  |
|   | metals and non metal   |        | (\) A-III, B-I, C-II, D-IV   |
|   | D. F. O IV Elements with highest   |        | () A-IV, B-I, C-II, D-III  |
|   | entbalov   |        | (٣) A-II, B-III, C-IV, D-I   |
|   | Choose the correct answer from the options of                                  | iven   | (ξ) A–I , B–II , C–III , D–IV  |
| below :   |  | Ans.   | (1)  |
|   | ()) A-II, B-III, C-IV, D-I   | Sol.   | Fe ٤ ﷺ Fe(CN) بﷺ . xHO 🛛 Prussian Blue                                     |
| (r) A-III, B-II, C-I, D-IV<br>(r) A-IV, B-III, C-II, D-I<br>(i) A-II, B-I, C-IV, D-III<br>Ans. (r)<br>Sol. Elements with highest electronegativity IIIF, O<br>Elements with largest atomic size IIIFr, Ra<br>Elements which shows properties of both meta<br>and non-metals i, a metalloids IIIGo. As |  |        | کچ Fe(CN)₀NOSﷺ <sup>[][]</sup> Violet                                      |
|   |  |        | ﷺEe(SCN) کی اللہ اللہ اللہ اللہ اللہ اللہ اللہ الل                         |
|   |  |        | (ΝΗ٤)٣ΡΟξ. \ΥΜοΟ٣ [] Yellow  |
|   |  | ٧٩.    | Number of complexes with even number of                                    |
|   |  |        | electrons in trg orbitals is –   |
|   |  |        | ﷺ، Ee(H۲O)۲،، کچ، Ee(H۲O)۲،، کچ، کچ  |
|   |  | al     | ※≤Cu(HYO)7濃、 ※≤Cr(HYO)7濃   |
|   | and non-metals i.e. metallolds uuge, As  |        | ۳ (۱) ۱ (۱)  |
|   | Elements with highest negative electron gain $anthology$                       |        | (Ψ) Υ (٤) ο  |
|   |  | Ans.   | (*)  |



SECTION-B

Alter A hypothetical electromagnetic wave is show below.



The frequency of the wave is  $x \times \mathcal{H} Hz$ .

x = \_\_\_\_\_ (nearest integer)

Ans.(o)

$$= \mathbf{1} \times \mathbf{1} \cdot \mathbf{1}^{-\mathbf{1}\mathbf{1}} \text{ meter}$$
$$\square = \mathbf{C}$$
$$\mathbf{1} \times \mathbf{1} \cdot \mathbf{1}^{-\mathbf{1}\mathbf{1}} \times \square = \mathbf{1} \times \mathbf{1} \cdot \mathbf{1}$$
$$\square = \mathbf{0} \times \mathbf{1} \cdot \mathbf{H}\mathbf{Z}$$



Consider the figure provided.

n mol of an ideal gas is kept in a cylinder, fitted with a piston, at the position A, at 1A°C. If the piston is moved to position B, keeping the temperature unchanged, then 'x' L atm work is done in this reversible process.

x = \_\_\_\_\_ Latm. (nearest integer) کے Given : Absolute temperature = °C + ۱۷۳.۱۰،

R = • . • ٨٢ • ٦ Latm mol K

Ans.(00)

= −٥٥. ۲۰۱۰ Work done by system [] ۵۰ atm lit .

Number of amine compounds from the AT. ٨٣. following giving solids which are soluble in NaOH upon reaction with Hinsberg's



Ans. ())

Sol. Primary amine give an ionic solid upon reaction with Hinsberg reagent which is soluble in NaOH.



The number of optical isomers in following Λ٤. compound is : \_\_\_



Ans. (٣٢)

CH۳ Br Sol.

Total chiral centre = o

No. of optical isomers = r = rr. Λ٥.

The 'spin only' magnetic moment value of MO is Sol. \_\_\_\_\_ BM. (Where M is a metal having least metallic radii. among Sc ، Ti ، V ، Cr ، Mn and Zn) (Given atomic number :  $Sc = r_1$ ,  $Ti = r_7$ ,  $V = r_7$ ,  $Cr = \tau \varepsilon$ ,  $Mn = \tau \circ and Zn = \tau \circ$ )

Ans.(•)

Sol. Metal having least metallic radii among Sc. Ti. V.

Cr. Mn & Zn is Cr.

Spin only magnetic moment of CrO 2.

HereCrisind configuration (diamagnetic).

Number of molecules from the following which are exceptions to octet rule is \_\_\_\_ COT, NOT, HTSOE, BFT, CHE, SIFE, CIOT, PCIO, BeFr, CrHr, CHClr, CBr







/ (15. (0)

Sol. Major product B is  $\Box$ 

